

Economic Forecasting

AGEC 421

Advanced Agricultural Marketing

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Famous Quotes about Forecasting

- “The only function of economic forecasting is to make astrology look respectable” John Kenneth Galbraith
- “Wall Street indices predicted nine out of the last five recessions!” – Paul A. Samuelson in Newsweek, Science and Stocks, 19 Sep. 1966.
- “Prediction is very difficult, especially if it’s about the future.” –Nils Bohr, Nobel laureate in Physics
- “If you have to forecast, forecast often.” –Edgar R. Fiedler in The Three Rs of Economic Forecasting-Irrational, Irrelevant and Irreverent , June 1977.
- “An economist is an expert who will know tomorrow why the things he predicted yesterday didn’t happen today.” –Evan Esar



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Topics we will cover

- Trends and Seasonality
 - Is the trend linear, exponential, logarithmic, etc.?
 - Seasons, cycles, and the rest
- Forecasting
 - Basic models for forecasting
 - How do we pick a model?
 - Fitting the in-sample data
 - Predicting the out-of-sample data

Basic statistics review

- Mean: $\bar{x} = \frac{1}{T} \sum_t^T x_t$

- Estimated Variance:

$$\widehat{Var}(x) = \frac{1}{T} \sum_t^T (x_t - \bar{x})^2$$

- Standard deviation: $\widehat{std}(x) = \sqrt{\widehat{Var}(x)}$

Basic statistics review

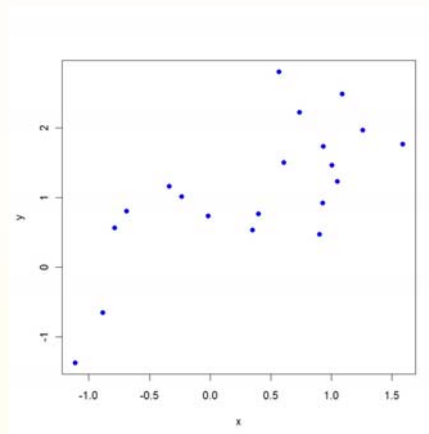
- Covariance:

$$\widehat{Cov}(x_t, z_t) = \frac{1}{T} \sum_t^T (x_t - \bar{x})(z_t - \bar{z})$$

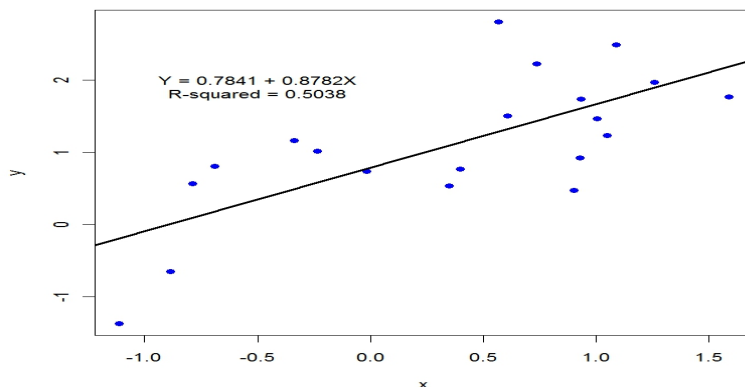
- Correlation: $\widehat{Corr}(x_t, z_t) = \frac{\widehat{Cov}(x_t, z_t)}{\widehat{std}(x_t)\widehat{std}(z_t)}$

Least squares estimation

- Goal: Draw line that minimizes sum of squares errors
- Errors = difference between predicted and actual values



Least squares estimate

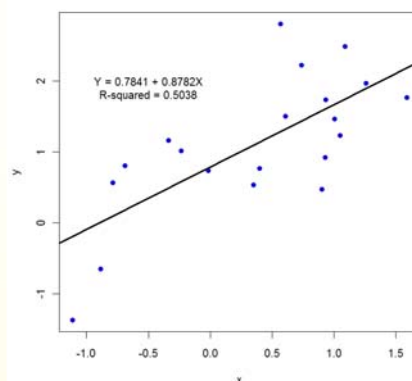


Least squares estimate

- Slope is obtained by

$$\hat{b} = (\sum x_t y_t) / (\sum x_t x_t)$$
- Intercept is obtained by

$$\hat{a} = \bar{y} - \hat{b}\bar{x}$$
- R-squared = $Corr(y_t, \hat{y}_t)^2$
 - $R^2 = 1$ is a perfect fit
 - $R^2 = 0$ two have nothing in common
 - Closer to 1 = Better fit



Least squares forecasting

- Suppose we have data for $t = 1, 2, \dots, T$
- We want to predict for $T+1, T+2$, etc.
- We can use estimated \hat{a} and \hat{b} as follows to obtain a point estimate:
 - $\hat{y}_{T+1} = \hat{a} + \hat{b}x_{T+1}$
- How confident are we?
 - $Var(\epsilon_t) = \hat{\sigma}^2 = \frac{1}{T} \sum_{t=1}^T (\hat{\epsilon}_t^2) = \frac{1}{T} \sum_{t=1}^T (y_t - \hat{y}_t)^2$
 - $y_{T+1} \sim N(\hat{y}_{T+1}, \hat{\sigma}^2)$
 - $y_{T+1} \pm 1.96 \sigma$ (95% confidence interval)

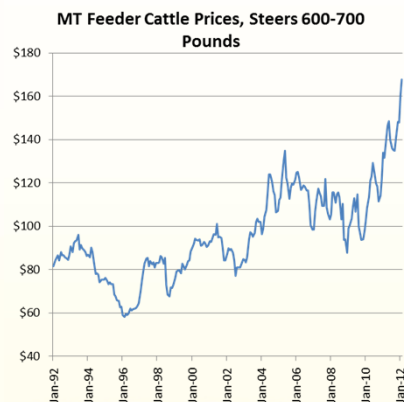
Trends and Seasonality

- Most regressions can be decomposed into two parts
 - $Y_t = \text{systematic} + \text{idiosyncratic}$
- Systematic component can include
 - Trend
 - Seasonality
 - Cycles
 - Relationships with other variables

Trends and Seasonality

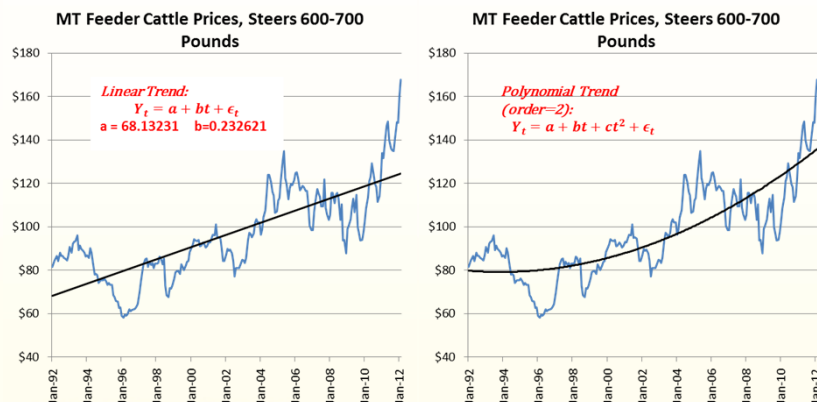
- We try to minimize Idiosyncratic (random) components
 - Conditioning out systematic components
 - Higher R-squared meaning better fit
 - Usually means predictions with tighter confidence intervals (more confident predictions)

How do we go about making predictions in this market?



- Time trend?
- What kind of trend?
- Seasonality?
- Cattle cycle?

Detrending cattle prices



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An Aside on using excel

SUMMARY OUTPUT

Regression Statistics	
Multiple R	0.7858
R Square	0.6174
Adjusted R Square	0.6158
Standard Error	12.8455
Observations	242

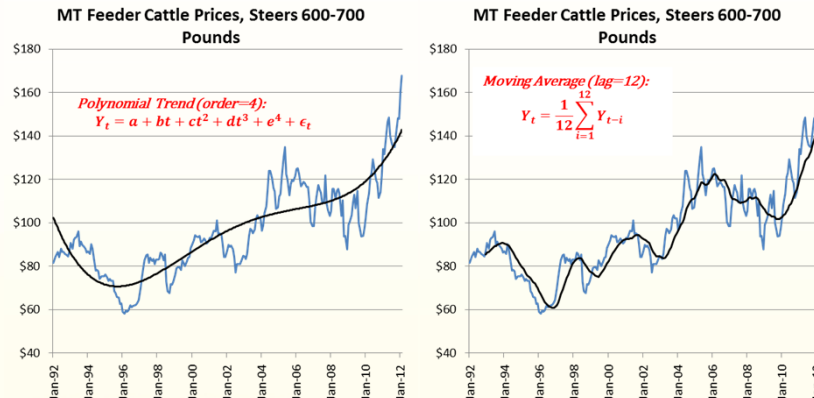
ANOVA					
	df	SS	MS	F	Significance F
Regression	1	63,908.0128	63,908.0128	387.3050	0.0000
Residual	240	39,601.6623	165.0069		
Total	241	103,509.6751			

	Coefficients	Standard Error	t Stat	P-value	Lower 95%	Upper 95%	Lower 95.0%	Upper 95.0%
Intercept	68.1323	1.6566	41.1275	0.0000	64.8690	71.3957	64.8690	71.3957
X Variable 1	0.2326	0.0118	19.6801	0.0000	0.2093	0.2559	0.2093	0.2559



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Detrending cattle prices



Key Points: Trend

- Best to find functional form that
 - Best fit for in-sample data (adjusted R^2)
 - Out-of-sample predictions is also important
 - Don't "overfit" data (eg, fit an 8th order polynomial because it fits the best)
 - "overfit" models do not forecast very well
 - Trends are often nonlinear, but data needs to be sufficient to support choice

Seasonality in cattle prices

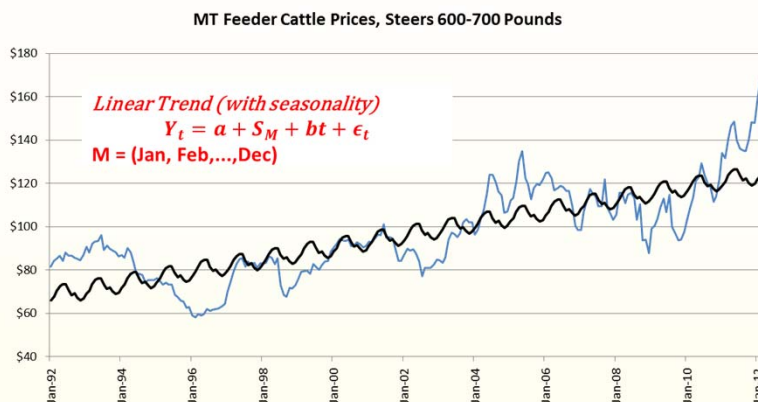
Month	Avg. Residual from linear model (1992 – 2011)
Jan	-2.315
Feb	-0.830
Mar	1.756
Apr	3.521
May	4.058
Jun	3.829
Jul	0.561
Aug	-1.558
Sept	-1.106
Oct	-3.235
Nov	-4.600
Dec	-4.049

- Indicates that
 - spring and early summer prices are higher, on average
 - winter and fall months are lower
- Some seasonal features to data



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Trend and seasonal predictions



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One way to deseasonalize data

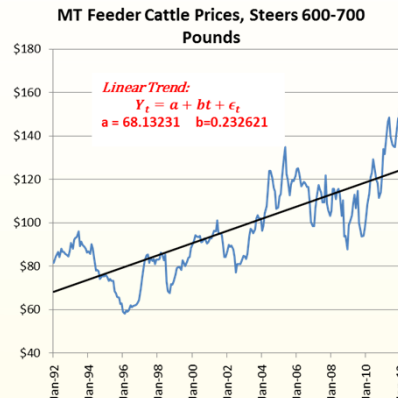
- Include a set of binary variables in a multiple regression.
 - If in May, then $D_{May} = 1$ otherwise $D_{May} = 0$
 - Do for all months and exclude one
 - Parameters estimates are interpreted relative to omitted month
 - Results account for monthly differences

Another way to deseasonalize data

- Take average residuals by month
- “Difference away” the shifter by month
- This will provide a deseasonalized series

Autocorrelation

- Notice that $corr(\epsilon_t, \epsilon_{t-1}) > 0$
- This is positive autocorrelation
- Our forecast will be better if we can account for this systematic component



Autocorrelation

- $\widehat{Cov}(x_t, x_{t-p}) = \frac{1}{T} \sum_t (x_t - \bar{x})(x_{t-p} - \bar{x})$
- $\widehat{Corr}(x_t, x_{t-p}) = \frac{\widehat{Cov}(x_t, x_{t-p})}{\widehat{std}(x_t)^2}$
- Does ϵ_{t-1} tell us something about ϵ_t ?
 - If we are above the trend line in time t-1 are we likely to be above in time t?

AR(1) model

- An AR(1) model can be written as

$$y_t = ay_{t-1} + \epsilon_t$$

- Can be estimated using OLS
- Basic properties include
 - $Var(y_t) = Var(\epsilon_t)/(1 - a^2)$
 - $Corr(y_t, y_{t-s}) = a^s$

Random Walk

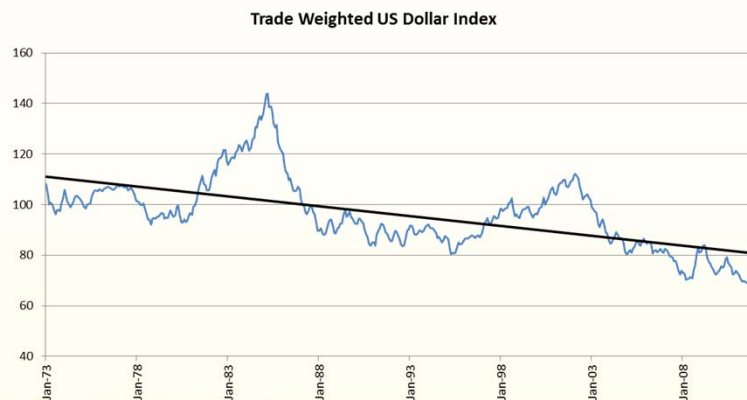
- As long as $|a| < 1$, the series is stationary
 - Impact from shocks die out
 - series reverts to a consistent mean
- If $a = 1$, the series is a random walk and not stationary
 - Usual fix is the first difference data
 - $FDY_t = Y_t - Y_{t-1}$

Exchange rates are often non-stationary



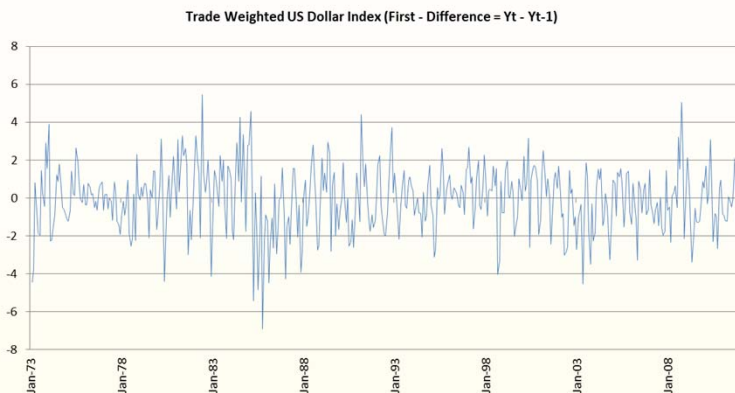
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Linear regressions don't work



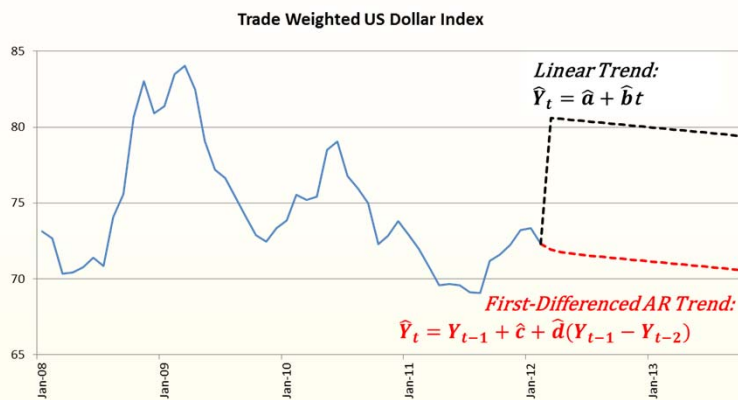
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First differenced rates



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Prediction of exchange rates



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Forecast performance

- The forecast error in period t is

$$\epsilon_t = y_t - \hat{y}_t$$

- Mean squared prediction error

$$MSPE = \frac{1}{T} \sum_{t=1}^T \hat{\epsilon}_t^2$$

- Root MSPE = \sqrt{MSPE}

Key Points: Prediction

- Often simpler models predict just as well (or better) as more complex ones
- Check for stationarity (Dickey-Fuller test)
- Check for autocorrelation
- Remember predictions have confidence bounds